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정오표

제목: 붉은대게(*Chinonoecetes japonicus*) 자원평가를 위한 잉여생산량모델의 비교 분석

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Page; 위치	정정 전	정정 후
53(6), 927; 식(4)	$I_y=qB_y$	$I_y=\frac{C_y}{E_y}=qB_y$
53(6), 927; 식(6)	$\Delta U=\frac{\bar U_{t+1}-\bar U_{t-1}}{2}$	$\Delta U=\frac{\bar U_{y+1}-\bar U_{y-1}}{2}$
53(6), 927; 식(7)	$\frac{\bar U_{t+1}-\bar U_{t-1}}{2U_t}=r-\frac{r}{qk}\bar U_t-q\bar E_t$	$\frac{\bar U_{y+1}-\bar U_{y-1}}{2\bar U_y}=r-\frac{r}{qk}\bar U_y-q\bar E_y$
53(6), 928; 식(9)	$L\,(data\wr B_0, r, K, q)=\prod_y \frac{1}{I_y\sqrt{2\pi\hat\sigma}}e^{\frac{-(lnI_y-ln\hat I_y)^2}{2\hat\sigma^2}}$	$L=\prod_y \frac{1}{I_y\sqrt{2\pi}\,\hat\sigma}e^{\frac{-(lnI_y-ln\hat I_y)^2}{2\hat\sigma^2}}$
53(6), 928; 식(10)	$\hat\sigma^2=\sum_y \frac{(lnI_y-ln\hat I_y)}{n}$	$\hat\sigma^2=\sum_y \frac{(lnI_y-ln\hat I_y)^2}{n}$
53(6), 928; 식(11)	$LL=-\frac{n}{2}(Ln(2\pi)+2Ln(\sigma)+1)$	$LL=-\frac{n}{2}(ln(2\pi)+2ln(\hat\sigma)+1)$
53(6), 928; 식(12)	$P_1\wr\sigma^2=e^{u_0}$ $P_y\wr P_{y-1}, K, r, \sigma^2=(P_{y-1}+rP_{y-1}(1-P_{y-1})-\frac{C_y-1}{K})e^{p_y}$	$P_1\|\sigma^2=e^{u_1}$ $P_y\|P_{y-1}, K, r, \sigma^2=(P_{y-1}+rP_{y-1}(1-P_{y-1})-\frac{C_{y-1}}{K})e^{u_y}$
53(6), 928; 식(13)	$I_y\wr P_y, q, \tau^2=qKP_y\,e^{o_y}$	$I_y\|P_y, q, \tau^2=qKP_y\,e^{V_y}$
53(6), 928; 식(14)	$p(K, r, q, \sigma^2, \tau^2, P_1, \cdots, P_N)$ $=p(K)p(r)p(q)p(\sigma^2)p(\tau^2)p(p_1\wr\sigma^2)$ $\times\prod_{y=1}^N p(P_{y+1}\ P_y, K, r, \sigma^2$	$p(K, r, q, \sigma^2, \tau^2, P_1, \ldots, P_N)$ $=p(K)p(r)p(q)p(\sigma^2)p(\tau^2)p(p_1\|\sigma^2)$ $\times\prod_{y=1}^N p(P_{y+1}\|P_y, K, r, \sigma^2)$
53(6), 928; 식(15)	$p(I_1, \cdots, I_N\wr K, r, q, \sigma^2, \tau^2, P_1, \cdots, P_N)=\prod_{y=1}^N p(I_y\wr p_y, q, \tau^2)$	$p(I_1, \ldots, I_N\|K, r, q, \sigma^2, \tau^2, P_1, \ldots, P_N)=\prod_{y=1}^N p(I_y\|p_y, q, \tau^2)$
53(6), 928; 식(16)	$p(K, r, q, \sigma^2, \tau^2, P_1, \cdots, P_N, I_1, \cdots, I_N)$ $=p(K)p(r)p(q)p(\sigma^2)p(\tau^2)p(p_1\wr\sigma^2)$ $\times\prod_{y=2}^N p(P_y\wr P_{y-1}, K, r, \sigma^2)=\prod_{y=1}^N p(I_y\wr P_y, q, \tau^2)$	$p(K, r, q, \sigma^2, \tau^2, P_1, \ldots, P_N, I_1, \ldots, I_N)$ $=p(K)p(r)p(q)p(\sigma^2)p(\tau^2)p(p_1\|\sigma^2)$ $\times\prod_{y=2}^N p(P_y\|P_{y-1}, K, r, \sigma^2)=\prod_{y=1}^N p(I_y\|P_y, q, \tau^2)$
53(6), 929; 식(17)	$RMSE=\sqrt{\frac{1}{n}\sum_y(I_y-\hat I_y)^2}$	$RMSE=\sqrt{\frac{1}{n}\sum_y(I_y-\hat I_y)^2}$
53(6), 929; 식(18)	$R^2=1-\frac{\sum_y(I_y-\hat I_y)^2}{\sum_y(I_y-\bar I)^2};\bar I=\frac{1}{n}=\sum_y I_y$	$R^2=1-\frac{\sum_y(I_y-\hat I_y)^2}{\sum_y(I_y-\bar I)^2};\bar I=\frac{1}{n}=\sum_y I_y$

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