

## A Study on the Propulsion Performance of KCS in Still Water and Regular Wave

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**Abstract** : Since most merchant vessels are mainly influenced by the added resistance in an actual sea, they could be navigated more efficiently if this added resistance could be precisely predicted and then effectively reduced. In this paper, we have computed the effective horsepower based on the resistance performance in still water and then calculated the added resistance in regular wave in order to estimate a ship's propulsion performance on a voyage. Firstly, we have performed experiments using a model of KCS in a circulating water channel to estimate the flow characteristics around a container ship and the ship's resistance in still water. Then we have calculated the motion response function in regular wave as well as the values for the increase in resistance, and evaluated the ship's motion performance in waves according to the calculated response function. It was found that the resistance in waves increased because the ship's motion response value became larger as the ship's speed increased in the case of head sea. The effect of the added resistance could be reduced by maneuvering the ship to the encounter angle of  $120^\circ$  in areas of long wavelengths and to head sea in areas of short wavelengths.

**Key words** : added resistance, still water, regular wave, motion response function, encounter angle, KCS

### 1. Introduction

In navigation in an actual sea environment, the resistance against a ship increases because of the wind or waves, in addition to the wave-making resistance and viscous resistance produced in still water. Since most merchant vessels are mainly influenced by this added wave resistance, they could be navigated more efficiently if this added resistance could be precisely predicted and then effectively reduced.

Faltisen et al. (1980) derived an asymptotic formula for small wave lengths. Nakamura et al. (1983) performed an experiment on the diffraction conditions that impact the added resistance in short waves. Naito et al. (1985) proposed a formula based on the ray theory and numerical simulations. Takahashi(1988) revised his proposal and offered a semi-empirical formula for the added resistance due to the wave reflection. Theoretical and experimental investigations have been conducted for the added resistance with respect to various types of ships(Ahn and Lee, 2010; Hong et al., 2001; Kashiwagi et al., 2000).

In this paper, we have computed the effective horsepower based on the resistance performance in still water and then calculated the added resistance in regular waves in order to

estimate a ship's propulsion performance on a voyage. Therefore, it might be necessary to use these data to evaluate the possibility of a ship's safe navigation. If it were possible to figure out in advance the characteristics of the resistance performance of a container ship that would be representative of the majority of types of ships with high fuel consumption, it would be possible to implement effective sailing management through the estimation of the exact added resistance in waves. It is anticipated that using such an approach, greenhouse gas emissions could also be controlled effectively. For this study, we selected a KCS (KRISO Container Ship) 3600TEU, whose form is regarded as being highly practical modern container ship as compared with the hull form of container ship in the 1970s that the flow measurement data were available for this ship.

Firstly, we have implemented the experiments using a model in a circulating water channel for estimating the flow characteristics around a container ship and propulsion performance. We also compared the resistance on the container ship and the effective horsepower of an actual ship and we examined the hull wave profiles for different speeds through the experiment. Based on the above mentioned data, we analyzed the resistance and propulsion

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performance of a container ship and the characteristics of the flow field around its hull.

We calculated the container ship’s motion response function in regular waves and the added resistance, and then evaluated its motion performance in waves according to the calculated response function. It was found that the resistance was greater in waves than in still water. This fact is the result of the waves produced by the ship’s motion and the diffraction of incident waves occurring because of reflection of the waves against the hull. The exact estimation of a ship’s increased resistance in waves is a very important factor in evaluating its propulsion performance in an actual sea. Therefore we have investigated the characteristics of the added resistance to navigate efficiently.

## 2. Resistance performance in still water

To estimate the resistance performance of a container ship, we performed the experiment with a model in which we observed the resistance and hull wave profiles in a circulating water channel. The model used in this study was a KCS 3600TEU that was manufactured on the reduced scale of 1/161.74. We experimented with this model in a circulating water channel with dimensions of 10.0m×1.5m×4.0m in order to estimate the resistance performance of a container ship. Table 1 lists the main details of the ship’s specifications. We decided upon the design speed of 24kts and then implemented the experiment in the speed range of 8kts~26kts. Then we compared the resistance characteristics for different speeds.

Table 1 Principal Particulars

| Parameter      | Full load condition |       |
|----------------|---------------------|-------|
|                | Actual              | Model |
| Lpp(m)         | 230.0               | 1.422 |
| B(m)           | 32.20               | 0.199 |
| D(m)           | 19.00               | 0.117 |
| d(m)           | 10.80               | 0.067 |
| C <sub>B</sub> | 0.6505              |       |

Fig. 1 shows the result of total resistance and residual resistance coefficient of model in comparison with other institute. The measured value of the total resistance on the model is shown in Fig. 2; the total resistance coefficient, Fig. 3; the frictional resistance coefficient, Fig. 4; the residual resistance coefficient, Fig. 5; the total resistance coefficient of the actual ship, Fig. 6; the frictional resistance coefficient of the actual ship, Fig. 7; the total resistance of the actual ship, Fig. 8; and the effective horsepower of the

actual ship, Fig. 9.

We notice that the results obtained by this study are larger than those of the others because the flows around the model ship become laminar flow at the same Fn due to the low Rn in this experiment. Thus the frictional resistance coefficient becomes relatively larger, and it is considered that the wall effect is affecting to the increase of total resistance coefficient. The result of KRISO shows that the wave-making resistance is very small and the total resistance consists of mainly the frictional resistance at the low speed areas.

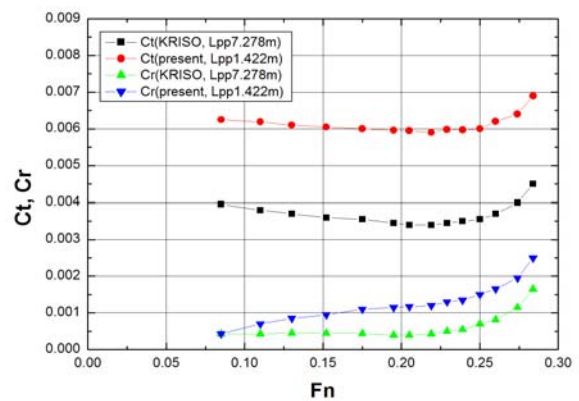


Fig. 1 Comparison of total resistance and residual resistance coefficient of model with other institute

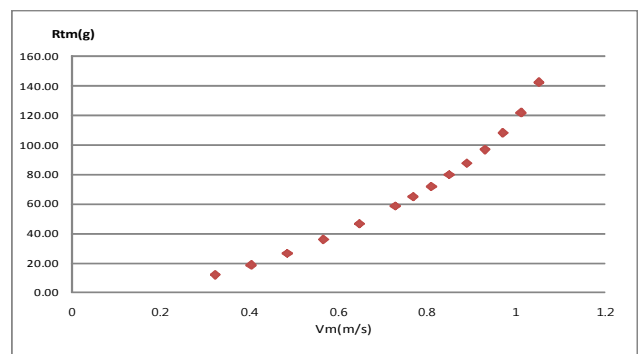


Fig. 2 Measured total resistance of model, Rtm(gr)

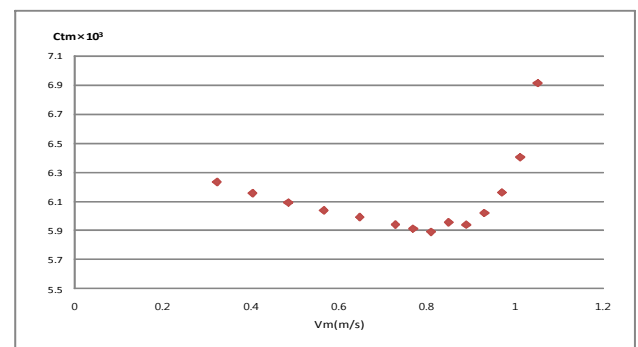


Fig. 3 Total resistance coefficient of model, Ctm

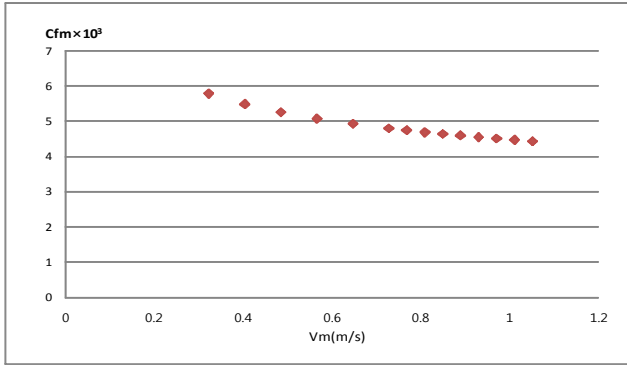


Fig. 4 Frictional resistance coefficient of model,  $C_{fm}$

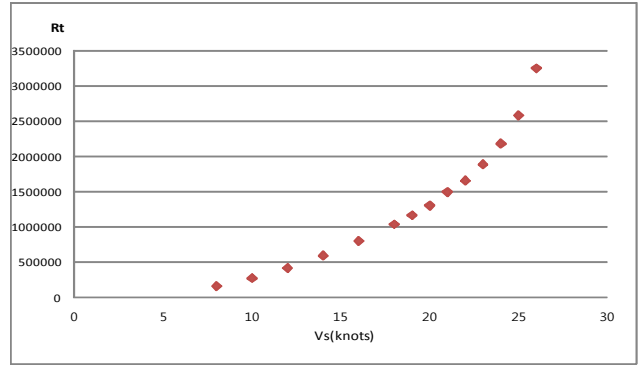


Fig. 8 Total resistance of actual ship,  $R_{ts}(N)$

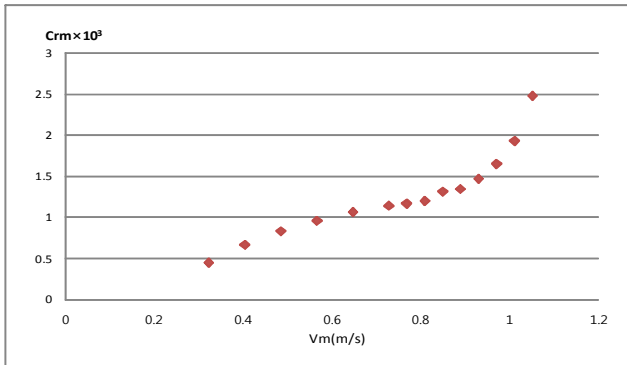


Fig. 5 Residual resistance coefficient of model,  $C_{rm}$

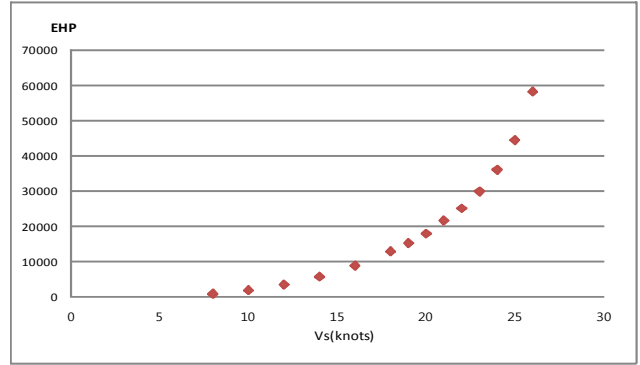


Fig. 9 Effective horsepower curve of actual ship,  $EHP(HP)$

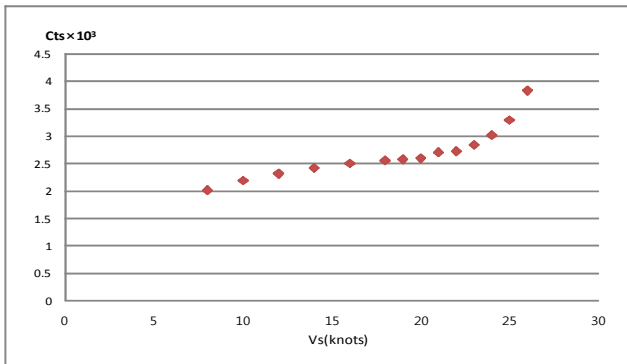


Fig. 6 Total resistance coefficient of actual ship,  $C_{ts}$

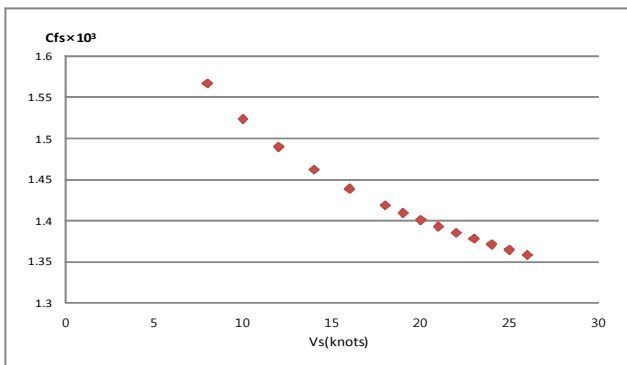


Fig. 7 Frictional resistance coefficient of actual ship,  $C_{fs}$

This study's interpretation was performed by applying the ITTC-1957 friction line to estimate the actual ship resistance.

It was found that as the speed increased, the total resistance coefficient value of the model ship tended to decrease gradually until the speed reached 20kts, but then increased after 21kts. This tendency produces a figure similar to the residual resistance coefficient shown in Fig. 5. In other words, we determined that at higher speeds, the resistance performance of a container ship is greatly affected by the wave-making and eddy-making resistance, rather than the frictional resistance. According to the curve of the effective horsepower of the actual ship, which is shown in Fig. 9, the horsepower increased by 100.7 percent at the design speed of 24kts, while the horsepower rose by 39.6 percent at 22kts rather than at 20kts. In order to select a ship's optimal speed, it is necessary to comprehensively consider many factors such as the sea conditions, fuel consumption, and reserve horsepower.

The hull wave profiles of the model ship are shown in Fig. 10(for 16kts), Fig. 11(20kts) and Fig. 12(24kts). Phenomena such as double wave heights were observed near the bow at 24kts. At the same time, since the wave height at the stern was controlled by the transom effect around the stern, it was observed that the increase in

waves was controlled. It is estimated that the increase of residual resistance which consists of wave-making resistance and eddy-making resistance derives from these wave profile. Other diverging and transverse waves displayed wave pattern shapes that were typical for a container ship.

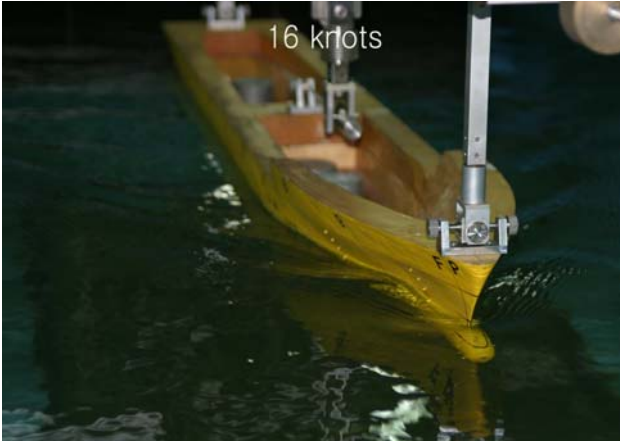


Fig. 10 Wave patterns for KCS 3600TEU(Vs=16 knots)

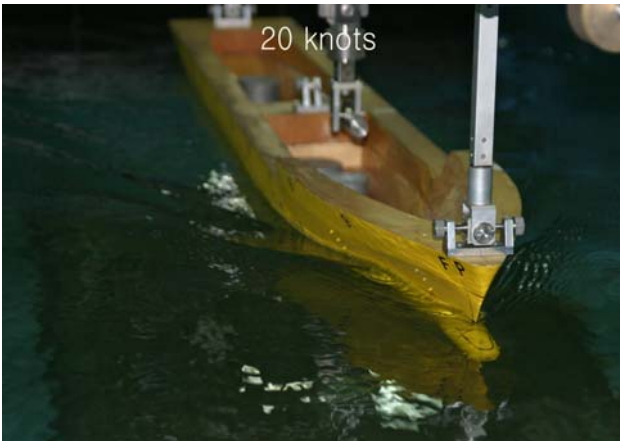


Fig. 11 Wave patterns for KCS 3600TEU(Vs=20 knots)

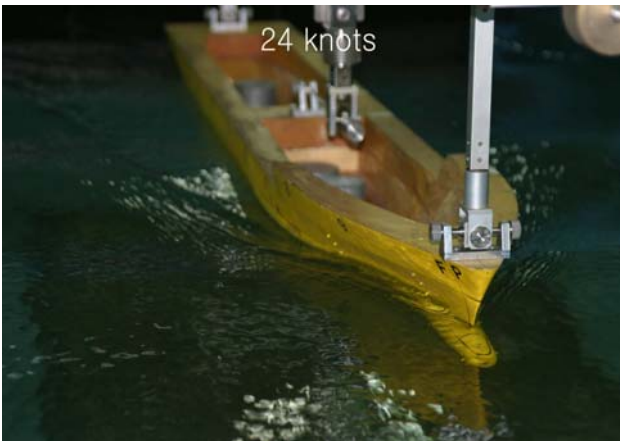


Fig. 12 Wave patterns for KCS 3600TEU(Vs=24 knots)

### 3. Added resistance in waves

The resistance of the model container ship in waves was greater than in still water. This fact is the result of the waves produced by the ship's motion, and the diffraction of incident waves that take place because of their reflection against the hull. The exact estimation of a ship's increased resistance in waves is a very important factor in evaluating its propulsion performance in an actual sea. In this study, we investigated and analyzed the characteristics of a ship's increased resistance in regular wave by carrying out calculations for a container ship that is widely used in practical circumstance.

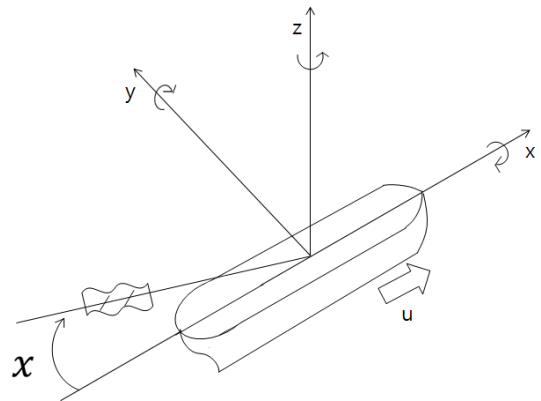


Fig. 13 Coordinate system

#### 3.1 Numerical calculation

We used the NSM(New Strip Method) in accordance with the strip theory to determine the ship's motion response function and the simplified calculation method proposed by Takagi(1991) for the added resistance in waves. Fig. 13 shows the coordinate system used in this study. First, the simplified formula for the increase in resistance in waves, drawn from Maruo and Iwase(1980), is expressed as follows.

$$\Delta R = 4\pi\rho \left[ - \int_{-\infty}^{-K_1} + \int_{-K_2}^{K_1} + \int_{K_3}^{\infty} \right] \frac{(m + K_0\tau)^2 (m - K\cos\chi)}{\sqrt{(m + K_0\tau)^4 - K_0^2 m^2}} |H(m)|^2 dm \quad (1)$$

$$|H(m)|^2 = |H_1(m)|^2 + \frac{(m + K_0\tau)^4 - K_0^2 m^2}{K_0^2} |H_2(m)|^2 \quad (2)$$

$$\begin{cases} K_1 \\ K_2 \end{cases} = \frac{1}{2} K_0 (1 + 2\tau \pm \sqrt{1 + 4\tau}) \quad (3)$$

$$\begin{cases} K_3 \\ K_4 \end{cases} = \frac{1}{2} K_0 (1 - 2\tau \pm \sqrt{1 - 4\tau}) \quad (4)$$

where  $K_0 = \frac{g}{U^2}$ ,  $\tau = \frac{U\omega_e}{g}$ ,  $\chi$  is the encounter angle of wave, and  $K$  is the wave number.

Here  $H_n(m)$  is called the Kochin function, which is calculated using the following formula because the singularity distribution is distributed on the axis, based on the assumption of a slender body.

$$H_1(m) = \int_{-L/2}^{L/2} \sigma(x) \exp[imx] dx \quad (5)$$

$$H_2(m) = \int_{-L/2}^{L/2} \mu(x) \exp[imx] dx \quad (6)$$

With the use of the above formulas, there is a tendency for the accuracy of the results to be limited when the wave number of encountered wave in the following seas is small. Therefore, Takagi suggested the following simplified formula to improve the accuracy in calculation for following seas.

$$\begin{aligned} \Delta R' = 4\pi\rho \left[ -\int_{-\infty}^{-K_1} + \int_{K_3}^{\infty} \right] \frac{(m - K\cos\chi)}{\sqrt{1 - K_3^2/m^2}} |H(m)|^2 dm \\ + 4\pi\rho \int_{-K_2}^{K_4} \frac{(m - K\cos\chi)}{\sqrt{1 - m^2/K_0^2\tau^4}} |H(m)|^2 dm \end{aligned} \quad (7)$$

Equation (7) is used in case the wave number of encountered wave is large, while the equations below are used to calculate the added resistance when the wave number of encountered wave is small.

$$\begin{aligned} \Delta R'' = 4\pi\rho K_0 \sqrt{K_0} [J_2 + (K_3 - K\cos\chi)J_1] \\ + 4\pi\rho K_0 \sqrt{K_0} [J_3 + (K_3 - K\cos\chi)J_4] \end{aligned} \quad (8)$$

$$J_1 = \sqrt{\pi} \int_{-L/2}^{L/2} \int_{-L/2}^{L/2} f(x) \frac{df^*}{d\xi} \times |x - \xi|^{1/2} \{ \text{sgn}(x - \xi) + i \} dx d\xi \quad (9)$$

$$J_2 = \frac{\sqrt{\pi}}{K} \int_{-L/2}^{L/2} \int_{-L/2}^{L/2} \frac{df}{dx} \frac{df^*}{d\xi} \times |x - \xi|^{1/2} \{ \text{isgn}(x - \xi) - 1 \} dx d\xi \quad (10)$$

$$J_3 = 2\sqrt{\pi} \int_{-L/2}^{L/2} \int_{-L/2}^{L/2} \frac{dg^*}{d\xi} \frac{dg}{dx^2} \times |x - \xi|^{1/2} \{ \text{sgn}(x - \xi) + i \} dx d\xi \quad (11)$$

$$J_4 = 2\sqrt{\pi} \int_{-L/2}^{L/2} \int_{-L/2}^{L/2} \frac{dg^*}{d\xi} \frac{dg}{dx} \times |x - \xi|^{1/2} \{ \text{isgn}(x - \xi) - 1 \} dx d\xi \quad (12)$$

Here,  $f(x) = \sigma(x) \exp[iK_3x]$ ,  $g(x) = \mu(x) \exp[iK_3x]$  (13)

## 3.2 Computational results and discussion

Fig. 16 shows the non-dimensional value of the added resistance for the different ship speed at same encounter angle, while Fig. 14 and Fig. 15 show the motion response amplitude of heaving and pitching of the container ship. Fig. 17, Fig. 18, and Fig. 19 show the values for the heaving, pitching, and added resistance for the different encounter angle of the waves, respectively. Fig. 14, Fig. 15, Fig. 16, Fig. 17, Fig. 18, and Fig. 19 show the comparison of the non-dimensional values of heaving, pitching, and the added resistance according to the ratio of the wavelength and  $L_{pp}$  in terms of the speed and encounter angle. In particular, the added resistance expresses the non-dimensional value as  $\rho g A^2 (B^2/L)$ . "A", " $\chi$ ", and " $k_0$ " denote the wave amplitude, encounter angle of the wave, and wave number, respectively. When the encounter angle of the wave was  $180^\circ$ , it was found that the ship's motion response value for heaving and pitching, and accordingly, for the added resistance increased as the ship's speed increased from 16kts to 20kts, 24kts and 26kts.

As the ship's speed sharply decreased to 16kts from 26kts, the added resistance decreased by about 50 percent. In general, the added resistance tended to decrease in correspondence to the decrease in the ship's speed. When the speed was reduced from 26kts to 20kts, heaving and pitching were sharply decreased, but there was no significant difference in the added resistance, as compared with the reduction in speed to 24kts.

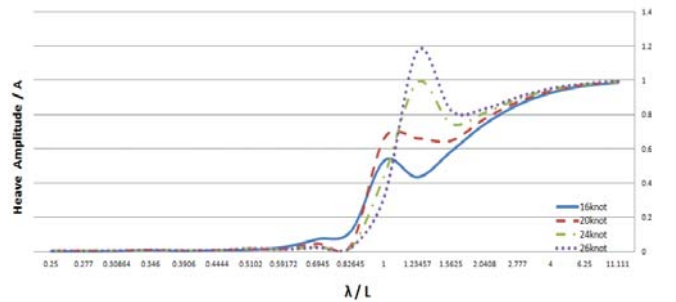


Fig. 14 Wave-induced heave motion of KCS 3600TEU ( $\chi = 180^\circ$ )

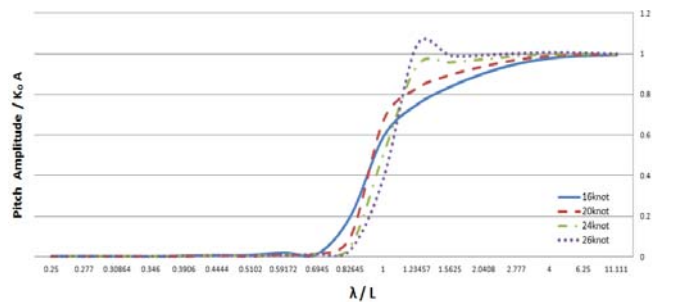


Fig. 15 Wave-induced pitch motion of KCS 3600TEU ( $\chi = 180^\circ$ )

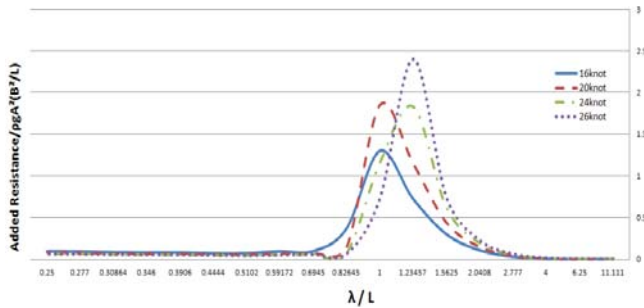


Fig. 16 Added resistance of KCS 3600TEU ( $\chi = 180^\circ$ )

As regards the effect of the encounter angle, heaving showed the largest value at  $120^\circ$ , whereas pitching showed the largest value at  $180^\circ$ . The added resistance showed the largest value at  $150^\circ$ . The added resistance increased at the encounter angle of  $180^\circ$  in the case of a long wavelength

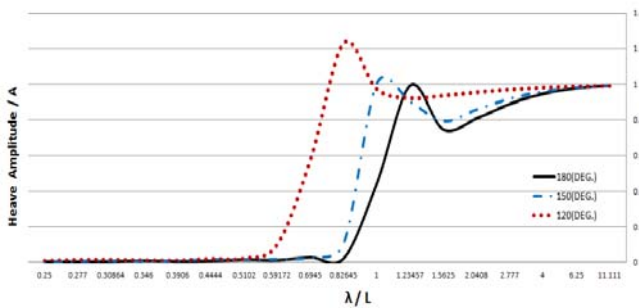


Fig. 17 Wave-induced heave motion of KCS 3600TEU ( $V_s=24kts$ )

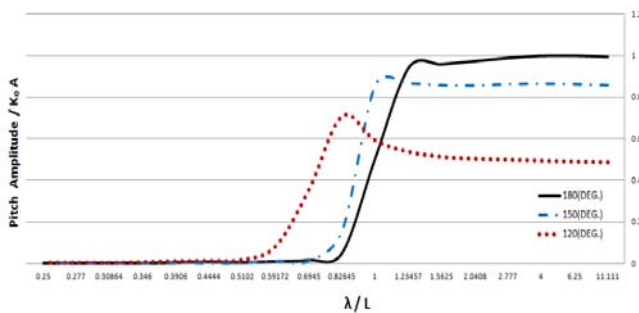


Fig. 18 Wave-induced pitch motion of KCS 3600TEU ( $V_s=24kts$ )

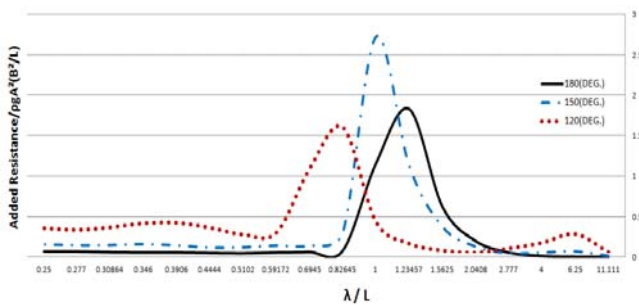


Fig. 19 Added resistance of KCS 3600TEU ( $V_s=24kts$ )

and at the encounter angle of  $120^\circ$  in the case of a short wavelength. In other words, it was found that the effect of the added resistance could be reduced by maneuvering the ship to the encounter angle of  $120^\circ$  in areas of long wavelengths and to head sea in areas of short wavelengths.

#### 4. Conclusion

In this study, we have performed the experiments using a model in a circulating water channel to estimate the flow characteristics around a container ship and the ship's resistance in still water. Then we have calculated the container ship's motion response function in waves as well as the values for the increase in resistance, and evaluated the ship's motion performance in waves according to the calculated response function. We obtained the following conclusions by analyzing the results of experiment and computation.

It was found that the resistance in waves increased because the ship's motion response value became larger as the ship's speed increased in the case of head sea. When the encounter angle of the wave was  $180^\circ$ , it was noted that the ship's motion response value for heaving and pitching, and the added resistance increased as the ship's speed increased from 16kts to 20kts, 24kts and 26kts. As regards the effect of the encounter angle, the added resistance showed the largest one at  $150^\circ$ . The added resistance increased at the encounter angle of  $180^\circ$  in the case of a long wavelength and at the encounter angle of  $120^\circ$  in the case of a short wavelength. The effect of the added resistance could be reduced by maneuvering the ship to the encounter angle of  $120^\circ$  in areas of long wavelengths and to head sea in areas of short wavelengths.

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