

Introduction of Generator Unit Controller and Its Tuning for Automatic Generation Control in Korean Energy Management System (K-EMS)

Min-Su Park* and Yeong-Han Chun[†]

Abstract - Automatic generation control (AGC) is an important function for load frequency control, which is being implemented in Energy Management System (EMS). A key feature of AGC is to back up governors to enhance the performance of frequency control. The governor regulates system frequency in several to ten seconds, while the droop control concept results in steady-state control error. AGC is a supplementary tool for compensation of the steady-state error caused by the droop setting of the governors. As the AGC target is delivered to each generator as an open loop control target, the generator output is not guaranteed to follow the AGC target. In this paper, we introduce generating unit controller (GUC) control block, which has the purpose of enabling the generator output to track the AGC target while maintaining the governor performance. We also address the tuning methods of GUC for better performance of AGC in the Korea Energy Management System (K-EMS).

Keywords: AGC, LFC, Frequency control, EMS, GUC

1. Introduction

The present automatic generation control (AGC) scheme has evolved over more than 70 years and has been widely used in the world[1]. Korea Power Exchange (KPX) also utilizes AGC function in the Energy Management System (EMS) installed in the control center and is now developing new EMS (K-EMS) with advanced information technology (IT). As there are several control blocks for the balancing of supply-demand mismatch[2], it is very important to differentiate each function on the time frame. Supply-load balancing can be achieved by economic dispatch (ED), load frequency control (LFC), tracking ED (TED), and generating unit control (GUC) blocks, while the governor acts as primary control by regulating the speed of each generator. GUC is a control function implemented in Korean EMS (K-EMS) to enable the generator output to follow the AGC target signal.

N. Jaleeli et al.[1] addressed the concept of AGC in comparison with the governor. The purpose of AGC is to replace portions of manual control. As it automatically responds to normal load changes, AGC reduces the response time to approximately a minute or two. The performance of AGC can be obtained by making the response time longer than that of the governor. In the United States, the procedure in most control areas requires the AGC to be suspended when the frequency deviates 200 mHz or more. AGC is set to respond only to normal load changes. When

changes of generation due to governor action are not enough to hold the runaway frequency, load shedding or tripping generating units are adopted by UFR or OFR to prevent system collapse.

The primary function of AGC is for LFC, which backs up the performance of the governor in multi-machine systems[3], [4]. The objective of LFC is to regulate frequency with longer response time than the response of the governor action, especially in normal system conditions. Although the governor is the fastest controller that responds to the frequency deviation, steady-state error due to droop control property remains. AGC calculates the area control error (ACE) and distribute it to each generating unit proportional to the participation factors; it then sums the ED signal and distributed ACE to generate the target signal of each generating unit. In the K-EMS, GUC logic is introduced for tracking the target signal by providing feedback to the output power through SCADA[5].

2. AGC in K-EMS

2.1 Data Filtering

Data obtained through SCADA are processed by low-pass filter to eliminate the effect of noise and random load changes.

$$y(t) = \frac{1}{1+sT} x(t) \quad (1)$$

$x(t)$: Filter input

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$y(t)$: Filter output
 T : Time constant

The data processed by low-pass filter are ACE and TED. The time constant of each filter differs according to the data property and control response time. The ACE time constant is set to be larger than the governor time constant to avoid conflict between the two responses. The TED time constant is set to be larger than the ACE time constant for the same reason. Two time constants set on the EMS is given in Table 1.

Table 1. Time constant table

Function	ACE	TED
Seconds	60	90

2.2 ACE Calculation

ACE consists of frequency deviation term and tie-line power deviation term, as shown in equation (2)[7], [8].

$$ACE = 10 \times B \times (FS - F - TE) + Ints - Int \quad (2)$$

B : Frequency bias factor
 F : System frequency
 FS : Scheduled frequency
 TE : Time error
 $Ints$: Summation of tie-line power flow
 Int : Scheduled summation of tie-line power flow

ACE is distributed to each generating unit according to the regulation participation factor (RPF), which is determined by the ramp rate of each generating unit. RPF is calculated by equation (3).

$$RPF_i = RR_i / (\sum_{i=1}^n RR_i) \quad (3)$$

RPF_i : RPF of generating unit i
 RR_i : Ramp rate of generating unit i
 $\sum_{i=1}^n RR_i$: Sum of ramp rates of generating units

2.3 TED

ED in the K-EMS is calculated every minute; it generates base points of generating units. LFC calculates ACE every four seconds, and ACE is distributed to the generating units proportional to the participating factors. In contrast, TED calculates TEDMW (megawatts result of TED) with the deviation between the sum of the ED base points and the system loads. TED is executed every four seconds and distributed according to the economic participation factor (EPF). TED is introduced in the AGC logic to reflect

the load effects of the system.

EPF is determined by the incremental cost λ of generating units. It is calculated differently according to the sum of the ED base points and the system loads. When the sum of the ED base points is greater than the system load, EPF is calculated proportionally to λ and vice versa. EPF is calculated as in equation (4).

$$EPF_i = (1/\lambda_i) / (\sum_{i=1}^n 1/\lambda_i) \quad \text{when} \quad \sum_{i=1}^n BP_i > \text{system load} \quad (4)$$

$$EPF_i = (\lambda_i) / (\sum_{i=1}^n \lambda_i) \quad \text{when} \quad \sum_{i=1}^n BP_i < \text{system load}$$

EPF_i : EPF

λ_i : Incremental cost of generating unit i

BP_i : Base point of generating unit i from ED

As ACE and TED are calculated every four seconds, it is important to avoid conflicts of control action by setting response time differently. It can be accomplished by deciding LFC time constants differently. ACE is distributed according to ramp rate while TED is distributed according to the incremental costs, it is reasonable to make the TED time constant to be larger than that of ACE time constant.

2.4 AGC Control Signal

Final target signals from AGC are determined by the sum of the ED base points, ACE terms, and TED terms as in equation (5)[9].

$$Pt_i = BP_i + ACE \times RPF_i + TEDMW \times EPF_i \quad (5)$$

Pt_i : Target signal from AGC to generating unit i

3. GUC

GUC is defined as the controller that has been implemented in the K-EMS to track the AGC target signals, as shown in Fig. 1. The generator power output is not guaranteed to follow the AGC target signals without GUC due to governor droop action. On the other hand, the GUC can deteriorate the governor performance if its gain is tuned to have excessively fast response.

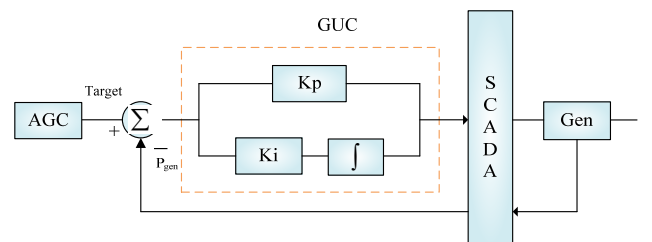


Fig. 1. Block diagram of GUC.

Therefore, the tuning of the GUC is a trade-off between the AGC tracking performance and the governor performance. In this paper, we address a tuning method based on PI controller and model reduction. The transfer function of PI controller is shown in equation (6)[10].

$$K(s) = K_p + \frac{K_i}{s} \quad (6)$$

Where K_p is the proportional gain and K_i is the integral gain.

3.1 Linearized Model and Model Reduction

Large power systems can be simplified by a two-generator system, one being the generator involving the GUC tuning and the other one which is the fictitious generator equivalent to the rest of the generators concerned, as shown in Fig. 2.

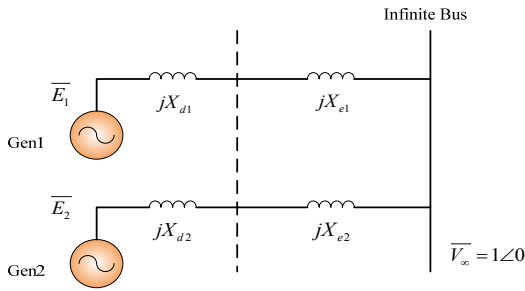


Fig. 2. Two-generator equivalent system.

3.2 Linear Model of Generator[11]

The E'_q equation

We can obtain the equation using field equation and generator terminal voltages v_d and v_q .

$$E'_{q\Delta} = \frac{K_1}{1 + K_1\tau'_{do}s} E_{FD\Delta} - \frac{K_1K_2}{1 + K_1\tau'_{do}s} \delta_{\Delta} \quad (7)$$

$$K_1 = 1/(1 + K_I(x_q + X_e)(x_q + X_e)) \quad (8)$$

$$K_2 = V_{\infty}K_I(x_d - x'_d) \times [(x_q + X_e)\sin(\delta_0 - \alpha) - R_e \cos(\delta_0 - \alpha)] \quad (9)$$

Where K_1 is the impedance factor and K_2 is related to de magnetizing effect of a change in the rotor angle.

The electrical torque T_e equation

$$T_{e\Delta} \approx K_3\delta_{\Delta} + K_4E'_{q\Delta} \quad (10)$$

$$K_3 = K_I V_{\infty} \{E_{qa0}[\sin(\delta_0 - \alpha) + (x'_d + X_e) \cos(\delta_0 - \alpha)] + I_{q0}(x_q - x'_d)[(x_q + X_e) \sin(\delta_0 - \alpha) - R_e \cos(\delta_0 - \alpha)]\} \quad (11)$$

$$K_4 = K_I \{I_{q0}[R_e^2 + (x_q + X_e)^2] + E_{qa0}R_e\} \quad (12)$$

Where K_3 is the change in electrical torque for small change in rotor angle at constant d axis flux linkage and K_4 is the change in electrical torque for small change in the d axis flux linkage and constant rotor angle.

$$K_3 = \left. \frac{T_{e\Delta}}{\delta_{\Delta}} \right|_{E'_q = E'_{q0}} \quad (13)$$

$$K_4 = \left. \frac{T_{e\Delta}}{E'_{q\Delta}} \right|_{\delta = \delta_0} \quad (14)$$

K_1 , K_2 , K_3 , and K_4 depend on the network parameter, the quiescent operating condition, and the infinite bus voltage.

Generator rotor angle δ_{Δ}

The block diagram δ_{Δ} is shown in Fig. 3.

$$M\omega_{\Delta} + D\omega_{\Delta} = T_{m\Delta} - T_{e\Delta} \quad (15)$$

Where M is the moment of inertia.

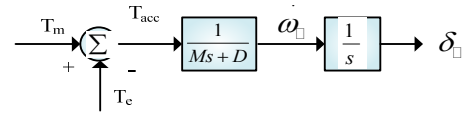


Fig. 3. Block diagram of generator rotor angle.

3.3 Model Reduction and Tuning of Kp and Ki

As was mentioned in section II, the tuning of K_p and K_i is very important to the trade-off between the AGC tracking performance and the governor performance. Fig. 4 shows the block diagram of generator unit with governor model. This block diagram is the transfer function $G(s)$ in Fig. 1.

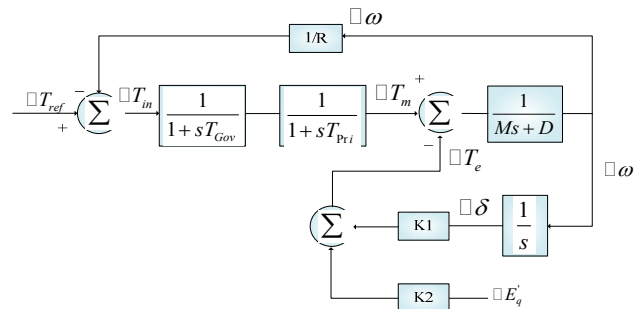


Fig. 4. Block diagram of generating unit.

The parameters and initial conditions of the simplified system are shown in Table 2.

Table 2. Initial conditions and parameters of each generator

No	X_d	X_e	P	E_q	δ_0
Gen 1	0.0358	0.001	4.5	1.1018	8.3738
Gen2	1.79	0.001	0.5	1.3424	41.844
	D	M	T_{gov}	T_{pr}	T_{d0}
Gen 1	2	21.552	0.21	0.52	7.9
Gen2	2	2.694	0.21	0.52	7.9
No	K_1	K_2	K_3	K_4	
Gen 1	10.99	1.071	3.5162	-0.2298	
Gen2	1.8132	2.240	0.1628	3.4704	

Gen 2 is the generator whose GUC is to be tuned, while Gen 1 is the one which is equivalent to the rest of the generators in the system. The transfer function of Gen 2 is given by equation (16).

$$G(s) = \frac{6.28s^2 + 6.14s^1 + 1.09}{1.02s^6 + 4.84s^5 + 19.50s^4 + 32.48s^3 + 30.51s^2 + 10.94s^1 + 1.09} \quad (16)$$

We obtained linearized minimum phase sixth-order model of Gen 2 including governor. The model need to be reduced in order to calculate the proper gains of GUC for the tuning of the controller based on the system model.

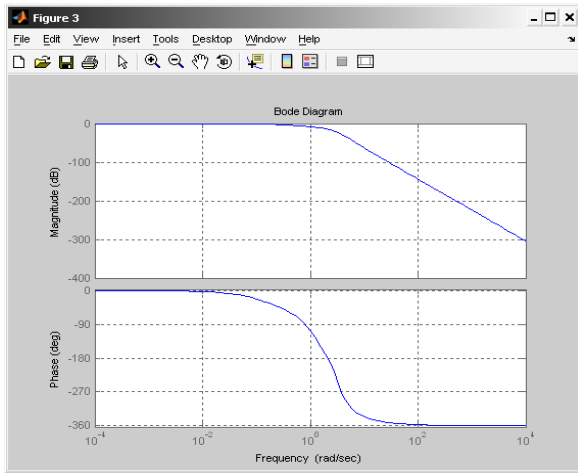


Fig. 5. Bode plot of the Gen 2 system.

It is important to give more weights to the low frequency ranges in the model reduction in order to yield satisfactory results. This allows the reduced model to have modeling error at the high frequency range, as modeling error at the low frequency range deteriorates the performance of the control systems.

Model Reduction to the First-order System

The first-order reduced system can be obtained from equation (17).

$$\begin{aligned} \|G(jw)\| &= \|G_{red}(jw)\| \quad \text{at } w=0, \\ \|G(jw)\|_{db} &= \|G_{red}(jw)\|_{db} = -3db \quad \text{at } w=w_n \end{aligned} \quad (17)$$

$$G_{red}(jw) = \frac{K}{1 + jw/w_n}$$

We can leave the modeling error to high frequency ranges by making the magnitude of the two systems the same at the two low frequency points – $w=0$, and $w=w_n$.

The following can be obtained:

$$\begin{aligned} k=1 & \quad \text{from } \|G(0)\| = \|G_{red}(0)\| = 1, \\ w_n=0.25 & \quad \text{from } \|G(jw_n)\|_{db} = \|G_{red}(jw_n)\|_{db} = -3db \end{aligned} \quad (18)$$

The reduced system is given by equation (19).

$$G_{red}(s) = \frac{1}{1 + 4s} \quad (19)$$

The bode magnitude plot of the original system and the first-order reduced system is shown in Fig. 6.

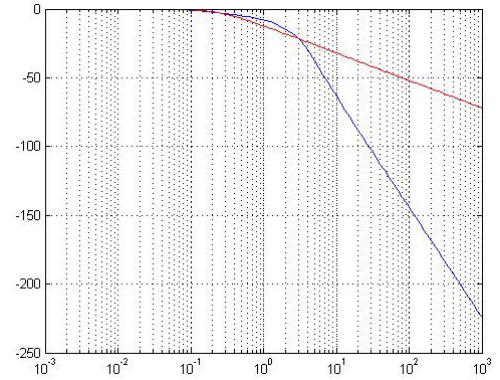


Fig. 6. Bode magnitude plot of the first-order reduced system $1/(1+4s)$ and original Gen 2 system.

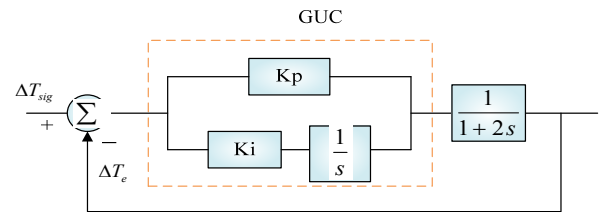


Fig. 7. Simplified block diagram of the first-order reduced generating unit.

Equation (20) is the transfer function of the closed loop system shown in Fig. 7.

$$\frac{\Delta T_e}{\Delta T_{sig}} = \frac{K_p s + K_i}{4s^2 + (1 + K_p)s + K_i} \quad (20)$$

Equation (20) can be rearranged to be equation (21) by

letting $K_p = 4K_i$.

$$\frac{\Delta T_e}{\Delta T_{sig}} = \frac{K_p s + K_i}{(K_p s + K_i)(1 + \frac{4}{K_p} s)} = \frac{1}{1 + \frac{4}{K_p} s} \quad (21)$$

The response of GUC can then have the form of first-order exponential function.

$$T_{CL} = \frac{1}{K_i} \quad K_p = 4K_i \quad (22)$$

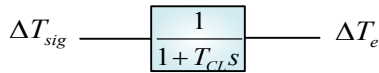


Fig. 8. Closed loop transfer function obtained by letting $K_p = 4K_i$.

3.4 Simulation and Test Results

As the typical response time of the governor ranges from 6 to 10 seconds, the GUC response time constant is expected to be 1 to couple of minutes. We compared the GUC performance between the cases when the closed loop time constant is 60 and 120 seconds. We set the closed loop time constants to 60 and 120 seconds by deciding $K_i = 1/60$, $K_p = 1/15$ and $K_i = 1/120$, $K_p = 1/30$, respectively.

For the simulation, we assumed that only one generator is involved in LFC control, while the remaining generators do not participate in the LFC control. Fig. 9 shows the AGC target signal generated by the sum of ED and LFC and the generator outputs with GUC on and off. Figs. 9(a) and 9(b) are for the case with two closed loop time constants, 60 and 120 seconds, respectively. The AGC target and power output were initially set to 0.5 and the load was increased by 0.05 pu. When GUC is set to off state (dashed line), the governor action raised the power output but there remained a steady-state deviation between the AGC target and the power output. The power output with GUC set to on state (dashed dot line) initially decreased and then increased until it reached the AGC target.

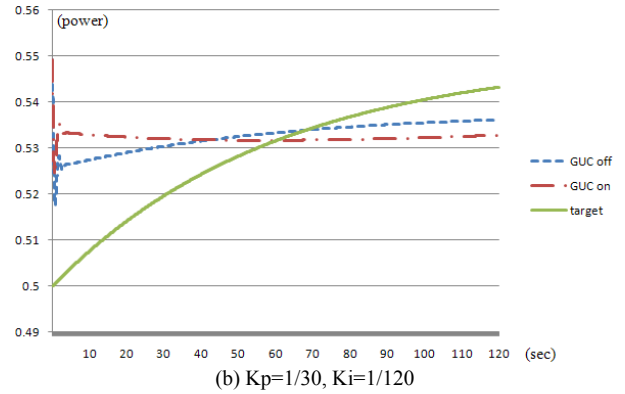
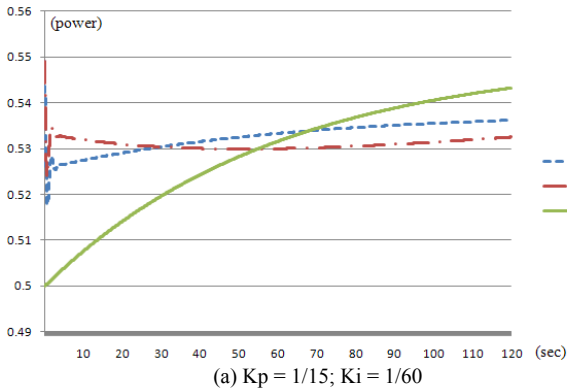


Fig. 9. Power output with GUC on and off.

Fig. 10 shows the test result applied to the real power system. The generator output follows the random AGC target signal well.

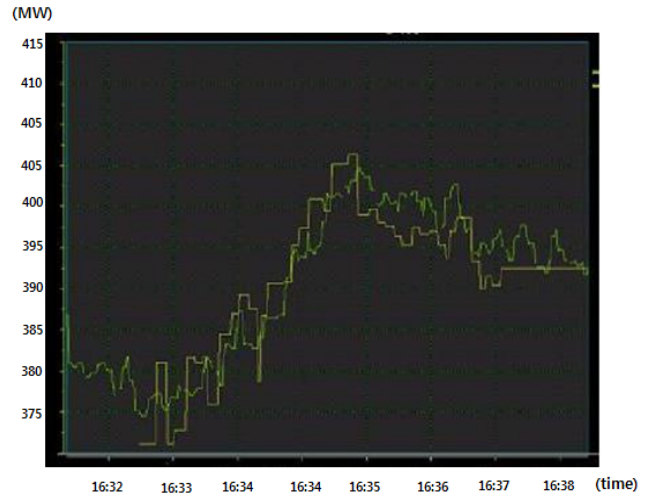


Fig. 10. AGC target (test signal) and generator output.

4. Conclusion

AGC in K-EMS consists of ACE, TED, and GUC control blocks. The tuning of ACE and TED control blocks can be accomplished by setting time constants. The time constants should be large enough not to conflict with governor actions. As GUC is a tracking control block, closed loop controller and tuning should be included in order to obtain proper performance. Well-tuned GUC guarantees that the generator power output will follow AGC target while not deteriorating governor performance.

Acknowledgments

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