

Analytic Design Procedure of Three-mirror Telescope Corrected for Spherical Aberration, Coma, Astigmatism, and Petzval Field Curvature

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There are total eight degrees of freedom in designing a three-mirror system. If we correct four kinds of third order aberrations and the system should have the specified effective focal length, the remaining three degrees of freedom can be used for selecting a suitable configuration for a specific application. We suggest an analytic design procedure for a three-mirror telescope system which has a suitably sized secondary mirror and proper separations between mirrors, and is corrected for four kinds of third order aberrations, spherical aberration, coma, astigmatism, and field curvature. Two design examples are shown. One has a compact configuration with off-axial field, the other has relatively long configuration with annular ring field.

Keywords : Three-mirror system, Telescope, Optical system design

OCIS codes : (110.6770) Telescopes; (120.4570) Optical design of instruments; (220.2740) Geometrical optics, optical design; (220.4830) Optical systems design; (350.6090) Space optics

I. INTRODUCTION

Reflecting optical systems with conic mirrors are widely used for large astronomical telescopes and satellite cameras because the conic surface can be fabricated very precisely[1]. For space optics, single mirror systems and two mirror systems were used for small field or low resolution imaging[2,3]. Recent development in sensor technology permits us wider field and higher resolution in optical observation. Therefore, three mirror systems are becoming popular for satellite camera systems.

Analytic methods to correct the third order aberrations of a three-mirror system have been reported by D. Korsh in 1972[4] and P. N. Robb in 1978[5]. In D. Korsh's paper, the conditions for correcting third order spherical aberration, coma, astigmatism and Petzval field curvature are expressed as functions of m_i and p_i , where m_i is the transverse magnification of the i -th surface about the

marginal ray, and p_i is the transverse magnification of i -th surface about the principal ray. The marginal ray has information about object imaging, and the principal ray has information about pupil imaging. These formulae are very useful to correct aberrations, but we can not know shapes and locations of the mirrors because the (m_i, p_i) are not familiar design variables such as curvature radius r_i and separation d_i . In P. N. Robb's paper [5], the third order aberrations are expressed as functions of curvature c_i and axial distance d_i , so we can interpret the configuration of the system more easily. However, the procedures for aberration correction are based on paraxial ray tracing. We can get only a numerical solution. More simple analytic expressions for the third order aberrations of three-mirror systems were presented in 1995[6,7]. The aberrations are expressed as functions of (m_i, a_i) . The a_i is defined as the ratio h_{i+1}/h_i , where h_i, h_{i+1} are the incident heights of the marginal ray on the i -th surface and the following surface respectively.

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In designing a three-mirror system, we have eight degrees of freedom, three curvature radii (r_1, r_2, r_3), three conic constants (k_1, k_2, k_3) and two axial separations between mirrors (d_1, d_2). Among the five kinds of third order aberrations, spherical aberration, coma, astigmatism and distortion are linear functions of the conic constants [7, 8]. Three kinds of the third order aberrations can be corrected by using the conic constants. We need two degrees of freedom to satisfy the focal length requirement and to correct Petzval field curvature. Hence, the residual three degrees of freedom can be used for selecting a suitable configuration.

We present an analytic design procedure for a three-mirror system which has a suitable configuration for real applications and is corrected for four of the third order aberrations, spherical aberration, coma, astigmatism and Petzval field curvature. Three design parameters (h_2, d_1, d_2) are selected to get a suitable configuration, where h_2 is the incident height of the marginal ray on the secondary mirror. The (h_2, d_1) determine the primary mirror and central obstruction by the secondary mirror, and d_2 is directly related to instrumental space. The condition for correcting Petzval field curvature is given by a quadratic equation. Two analytic solutions may be possible. They have the same primary mirror, central obstruction, and axial separations. But, they have different curvature radii (r_2, r_3), back focal length(BFL), exit pupil position and intermediate image plane of the secondary mirror. These are very important for constructing a real telescope system. Since the focal point F' is located in front of the tertiary mirror, we need at least a folding mirror to access the focus. There are two possible positions to locate the folding mirror. One position is the intermediate image plane of the secondary mirror, the other is the exit pupil. The former configuration has the advantage of a compact design compared with the other case, but its disadvantage is the relatively narrow field. Flat field anastigmat in Ref. [8] and HiRISE in Ref. [9] are adopting this type of folding mirror. The latter configuration needs relatively large instrumental space, but this system allows more wide field. Ref. [10] and Ref. [11] are the examples of this configuration. To get a practical design that we want, a proper combination of (h_2, d_1, d_2) should be selected. As design examples, both of the configurations are presented. We call the system for which the folding mirror is located at the intermediate image plane of the secondary mirror "object conjugation type", because the intermediate image plane is the conjugate plane of object and the folding mirror acts as a field stop. The system for which the folding mirror is located at the exit pupil will be called "pupil conjugation type". The position is the conjugate plane of the entrance pupil, and the folding mirror acts as a glare stop. This is another benefit of the pupil conjugation type.

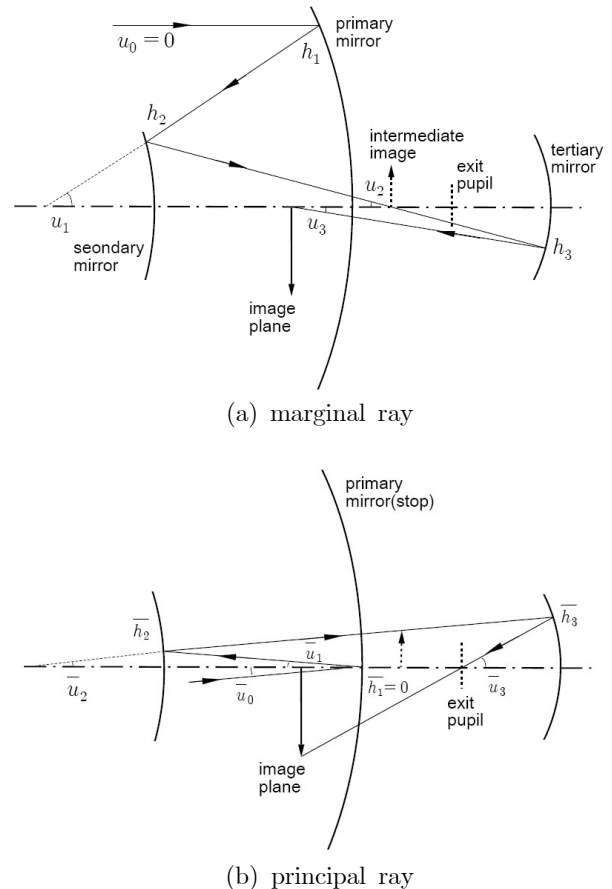


FIG. 1. Optical layout and rays of three-mirror system.

II. DESIGN PROCEDURE OF THREE-MIRROR SYSTEM

1. First Order Design

Figure 1 shows a marginal ray and a chief ray of a three-mirror system. The primary mirror is the stop of this system. In Figure 1(a), (h_1, h_2, h_3) are incident heights of the marginal ray, and (u_0, u_1, u_2, u_3) are paraxial angles of the ray after reflection. There are two kinds of sign convention for the paraxial angle u_i . We are adopting the sign convention of W. T. Welford [12]. For the cases in Figure 1(a), u_1 has positive sign, u_2 and u_3 have negative signs. In Figure 1(b), \bar{h}_i and \bar{u}_i are the incident height and paraxial angle of the chief ray respectively. If the incident heights (h_1, h_2, h_3) and the incident angles (u_0, u_1, u_2, u_3) are given, the curvature radius of i -th mirror r_i and axial distance d_i are obtained as follows:

$$\frac{1}{r_i} = -\frac{u_i + u_{i-1}}{2h_i} \quad (1)$$

$$d_i = \frac{h_{i+1} - h_i}{u_i} \quad (2)$$

Effective focal length f' , f-number F_N , and half field angle β are always given in the specifications for design. Let's assume that the object plane is located at infinity and the stop is located on the primary mirror. Some of the ray parameters can be determined easily from the specifications.

$$h_1 = \frac{|f'|}{2F_N} \quad (3)$$

$$u_0 = 0 \quad (4)$$

$$u_3 = \pm \frac{2}{F_N} \quad (5)$$

$$\bar{u}_0 = -\bar{u}_1 = \tan \beta \quad (6)$$

In this study, (h_2, d_1, d_2) are taken as basic design parameters to get a suitable configuration. Clear aperture of the secondary mirror Φ_2 can be evaluated approximately as

$$\Phi_2 = 2(|h_2| + |\bar{h}_2|)$$

where \bar{h}_2 is the incident height of the chief ray on the secondary mirror. It is given by

$$\bar{h}_2 = d_1 \bar{u}_1 = -d_1 \tan \beta \quad (7)$$

The central obstruction by the secondary mirror σ can be expressed by

$$\sigma = \frac{\Phi_2}{2h_1} = \left| \frac{h_2}{h_1} \right| + \left| \frac{d_1 \tan \beta}{h_1} \right| \quad (8)$$

From Eq. (1) and Eq. (2), f-ratio of the primary mirror F_1 and the curvature radius of the primary mirror r_1 are also determined as follows:

$$u_1 = -\frac{h_2 - h_1}{d_1} \quad (9)$$

$$F_1 = \left| \frac{1}{2u_1} \right|$$

$$\frac{1}{r_1} = \frac{u_1}{2h_1} \quad (10)$$

Among the marginal ray parameters, (h_3, u_2) are not determined yet. If we determine u_2 by using the condition for correcting Petzval field curvature, h_3, r_2 and r_3 will be given by

$$h_3 = h_2 + d_2 u_2 \quad (11)$$

$$\frac{1}{r_2} = -\frac{u_2 + u_1}{2h_2} \quad (12)$$

$$\frac{1}{r_3} = -\frac{u_3 + u_2}{2h_3} \quad (13)$$

2. Correction of Petzval Field Curvature

Petzval field curvature S_{IV} is given by [12]

$$S_{IV} = -H^2 \sum \frac{1}{r_i} \left(\frac{1}{n_i} - \frac{1}{n_{i-1}} \right) \quad (14)$$

where H is the Lagrange's invariant of the system, and n_i is the refractive index after refraction. In a three-mirror system, the condition for correcting Petzval field curvature can be expressed as follows

$$\frac{1}{r_1} - \frac{1}{r_2} + \frac{1}{r_3} = \frac{u_1 + u_0}{2h_1} - \frac{u_2 + u_1}{2h_2} + \frac{u_2 + u_3}{2h_3} = 0 \quad (15)$$

There are two undetermined parameters u_2, h_3 in Eq. (15), but h_3 can be expressed as a function of u_2 by using Eq. (11). Hence, Eq. (15) can be rewritten as a quadratic equation of u_2 .

$$h_1 d_2 u_2^2 - d_1 d_2 u_1^2 u_2 - h_2 (d_1 u_1^2 + h_1 u_3) = 0 \quad (16)$$

To get real solutions, the discriminant of Eq. (16) D must be zero or positive.

$$D = d_1^2 d_2^2 u_1^4 + 4h_1 h_2 d_2 (d_1 u_1^2 + h_1 u_3) \geq 0$$

There are two possible solutions, let's denote them the solution u_{2+} and u_{2-} .

$$u_{2+} = \frac{d_1 d_2 u_1^2 + \sqrt{D}}{2h_1 d_2} \quad (17)$$

$$u_{2-} = \frac{d_1 d_2 u_1^2 - \sqrt{D}}{2h_1 d_2} \quad (18)$$

The two solutions have the same primary mirror, central obstruction, and axial separations since these are specified by the design parameters (h_2, d_1, d_2) . But, the curvature radii (r_2, r_3) , the back focal length(BFL), position of the exit pupil and intermediate image plane of the secondary mirror are different. They depend on the solution of u_2 .

3. Correction of Spherical Aberration, Coma and Astigmatism

The third order spherical aberration S_I , coma S_{II} , and astigmatism S_{III} of a three-mirror system are linear functions of the conic constants k_1 , k_2 and k_3 . They can be expressed as follows [6,7,8]:

$$S_I = -\frac{1}{4}h_1u_3^3\{-m_3^3s_{1f} + a_1a_2s_{1r} - m_2^3m_3^3k_1 + a_1(m_2-1)^3m_3^3k_2 + a_1a_2(m_3-1)^3k_3\} \quad (19)$$

$$S_{II} = -\frac{1}{4}Hu_3^2\{m_3^2s_{2f} + s_{2r} + Qs_{1r} + S_{II} = -\frac{1}{4}Hu_3^2\{m_3^2s_{2f} + s_{2r} + Qs_{1r} + \frac{(a_1-1)(m_2-1)^3m_3^2}{m_2}k_2 + Q(m_3-1)^3k_3\} \quad (20)$$

$$S_{III} = -\frac{H^2u_3}{4h_1}\left\{-m_3s_{3f} + \frac{s_{3r} + 2Qs_{2r} + Q^2s_{1r}}{a_1a_2} + \frac{(a_1-1)^2(m_2-1)^3m_3}{a_1m_2^2}\kappa_2 + \frac{Q^2(m_3-1)^3}{a_1a_2}\kappa_3\right\} \quad (21)$$

where,

$$s_{1f} = m_2^3 + a_1(1+m_2)^2(1-m_2) \quad (22)$$

$$s_{1r} = -(1+m_3)^2(1-m_3) \quad (23)$$

$$s_{2f} = -2m_2^2 - \frac{(1-m_2^2)\{m_2-1+(1+m_2)a_1\}}{m_2} \quad (24)$$

$$s_{2r} = -2(1-m_3^2) \quad (25)$$

$$Q = \frac{a_2(a_1-1+m_2)-m_2}{m_2m_3} \quad (26)$$

$$s_{3f} = 4m_2 + \frac{(1-m_2)\{m_2-1+(1+m_2)a_1\}^2}{m_2^2a_1} \quad (27)$$

$$s_{3r} = -4(1-m_3) \quad (28)$$

In the above equations, m_i is the transverse magnification of the i -th mirror and a_i is the ratio of between incident heights of the marginal ray. They are defined as follows:

$$m_1 = \frac{n_0u_0}{n_1u_1} = -\frac{u_0}{u_1} = 0$$

$$m_2 = \frac{n_1u_1}{n_2u_2} = -\frac{u_1}{u_2}$$

$$m_3 = \frac{n_2u_2}{n_3u_3} = -\frac{u_2}{u_3}$$

$$a_1 = \frac{h_2}{h_1}$$

$$a_2 = \frac{h_3}{h_2}$$

From the first order design and condition for correcting Petzval field curvature, all of the marginal ray data ($h_1, h_2, h_3, u_0, u_1, u_2, u_3$) are determined, and Eq. (22) ~ Eq. (28) can be evaluated. The conic constants correcting S_I , S_{II} and S_{III} are given as follows:

$$k_2 = -\frac{m_2^2\{a_1a_2m_3s_{3f} + Q(m_3^2s_{2f} - s_{2r})\}}{(a_1-1)(m_2-1)^3m_3\{Qm_2m_3 - a_1(a_1-1)\}} \quad (29)$$

$$k_3 = -\frac{m_2(m_3^2s_{2f} + s_{2r} + Qs_{1r}) + (a_1-1)(m_2-1)^3m_3^2k_2}{Qm_2(m_3-1)^3} \quad (30)$$

$$k_1 = -\frac{m_3^3s_{1f} + a_1a_2s_{1r} + a_1(m_2-1)^3m_3^3k_2 + a_1a_2(m_3-1)^3k_3}{m_2^3m_3^3} \quad (31)$$

III. DESIGN EXAMPLES

1. Design Specifications

In Table 1, specifications for designing of a three-mirror telescope system are summarized. The telescope is a satellite camera. A CCD pixel corresponds to 0.57 m on the ground at observation altitude of 685 km. Diffraction limit of the system is 14.9 μm at 550 nm in wave length.

From the specification, some of the ray data are given by Eq. (3)~(6).

TABLE 1. Design Specifications of Three-Mirror Telescope.

Altitude	685 km
Swath width	15 km
Aperture diameter	800 mm
F-number	22.263
Effective focal length	17809.439 mm
Field of view(FOV)	1.25°
Diffraction limit	14.9 μm at $\lambda=0.55 \mu\text{m}$
Ground sampling distance(GSD)	0.57 m

$$h_1 = 400 \text{ mm}$$

$$u_0 = 0$$

$$u_3 = -0.022460$$

$$\bar{u}_0 = 0.010909$$

The paraxial angle after reflecting on the tertiary mirror, u_3 has a negative sign because we want to make an intermediate image and a real exit pupil as shown in Figure 1. A folding mirror will be located near the intermediate image or at the exit pupil.

2. Object Conjugation Type Design

In this type of design, the folding mirror is located on the intermediate image plane (image plane of the secondary mirror). The general characteristics of this type compared with the pupil conjugation type are as follows;

- F-ratio of the primary mirror is fast.
- Mirror separations d_1 and d_2 are short, a compact design is possible.
- It has long back focal length (BFL) and large tertiary mirror. To reduce instrumental space, an extra folding mirror may be needed.
- Only a fraction of off-axial field is available. The available fraction is taken by the folding mirror.

In designing the object conjugation type system, the basic design parameters are selected as follows:

$$\begin{aligned} h_2 &= 80 \text{ mm} \\ d_1 &= -1100 \text{ mm} \\ d_2 &= 2000 \text{ mm} \end{aligned}$$

The central obstruction σ , paraxial angle u_1 and f-ratio of the primary mirror F_1 are given as follows:

$$\begin{aligned} \sigma &= 0.23011 \\ u_1 &= -0.29091 \\ F_1 &= 1.71875 \end{aligned}$$

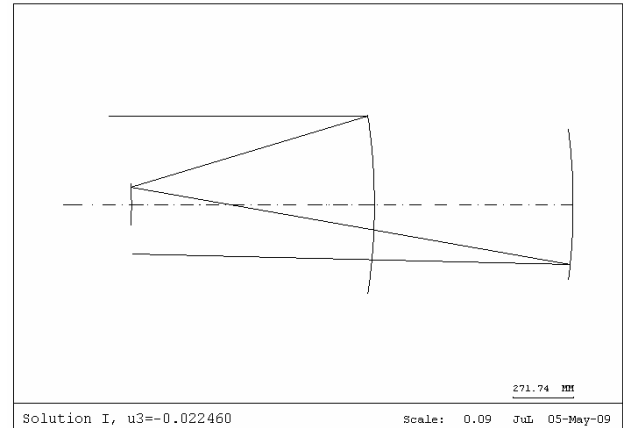
From Eq. (16), the condition for correcting Petzval field curvature, we can get two solutions.

Solution I

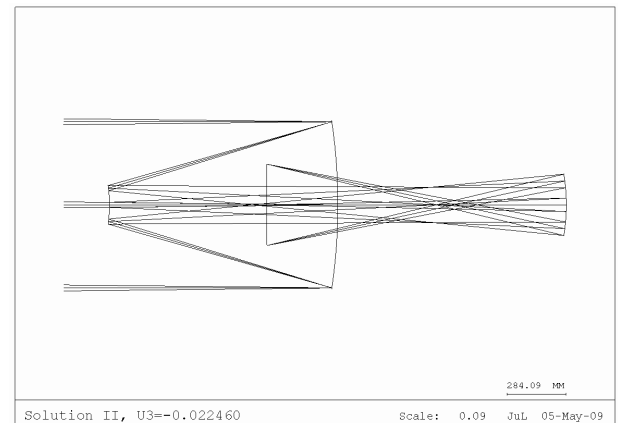
$$\begin{aligned} u_{2+} &= -0.174096 \\ h_3 &= -268.192 \text{ mm} \\ BFL &= -\frac{h_3}{u_3} = -11940.856 \text{ mm} \end{aligned}$$

Solution II

$$u_2 = -0.058631$$



(a) Solution I



(b) Solution II

FIG. 2. Optical layout of the Solution I and II. In the Solution I, the image plane is not shown because BFL of the system is too long.

$$\begin{aligned} h_3 &= -37.263 \text{ mm} \\ BFL &= -\frac{h_3}{u_3} = -1659.079 \text{ mm} \end{aligned}$$

Figure 2 shows inline optical layouts of the two solutions. The BFL of the Solution I is too long, impractical to use. In the Solution II, the tertiary mirror is quite small, but BFL is larger than the diameter of primary mirror. Hence, we need an extra folding mirror to reduce instrumental space. Figure 3 shows a compact construction of the system. Design data of the Solution II and the third order aberrations are listed in Table 2. All of third order aberrations are well corrected except distortion. Finite ray aberrations of the Solution II are shown in Figure 3. We can see some uncorrected distortion and residual fifth order aberrations in longitudinal spherical aberration and astigmatic field curves.

3. Pupil Conjugation Type Design

In pupil conjugation type design, the folding mirror

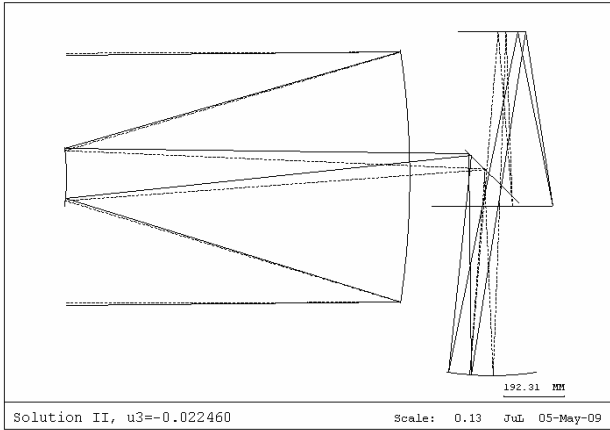


FIG. 3. Optical layout of the Solution II with two folding mirrors.

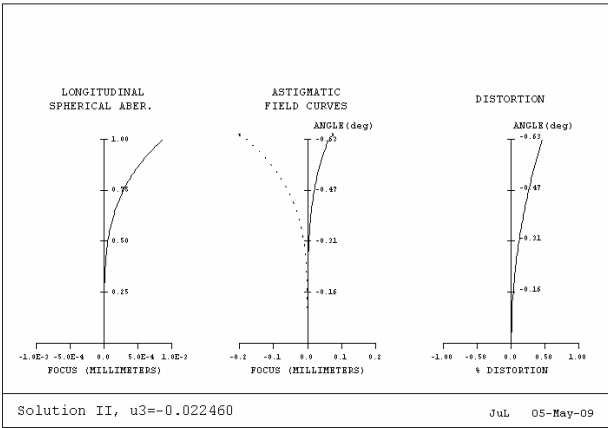


FIG. 4. Finite ray aberrations of the Solution II.

which has a center hole is located at the exit pupil position. The rays incident from the secondary mirror are reflected by the folding mirror, and come to the tertiary mirror. After reflecting on the tertiary mirror, the rays pass through the center hole of the folding mirror. In this configuration, we need bigger instrumental space compared with the object conjugation type. But this type of design has a ring field and better imaging performance in off-axial field. They allow us more flexible usage of the image plane.

The following are selected design parameters.

$$\begin{aligned} h_2 &= 80 \text{ mm} \\ d_1 &= -1400 \text{ mm} \\ d_2 &= 2800 \text{ mm} \end{aligned}$$

Mirror separations d_1 , d_2 are longer than those of the previous design, object conjugation type. Hence, this system has higher central obstruction, smaller paraxial angle u_1 , and larger F_l .

$$\begin{aligned} \sigma &= 0.23832 \\ u_1 &= -0.22857 \\ F_l &= 2.1875 \end{aligned}$$

There are two real solutions corrected for Petzval field curvature by Eq. (16). Let's denote them Solution III and IV.

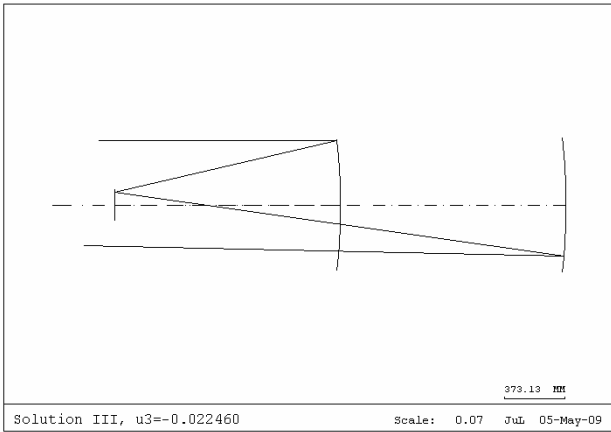
Solution III

$$\begin{aligned} u_{2+} &= -0.141358 \\ h_3 &= -315.803 \text{ mm} \end{aligned}$$

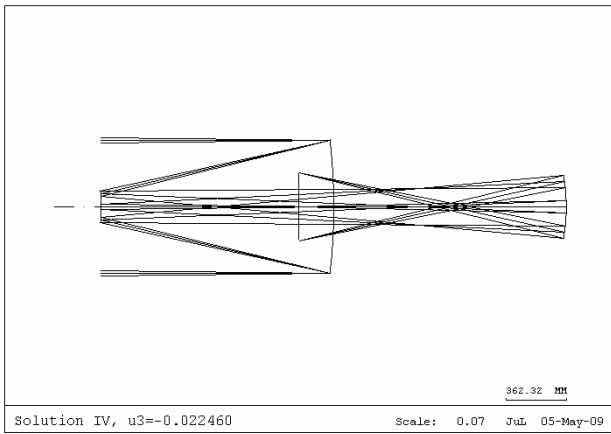
TABLE 2. Design data and third order aberrations of the Solution II.

(a) Design data				
#	r(mm)	d(mm)	conic constant	remark
1	-2750.000	-1100.000	-0.985669493	stop
2	-688.831	2000.000	2.132493050	
3	-919.034	-1659.079	-0.638538489	

(b) Third order aberrations(evaluated by Code V)									
	SA	TCO	TAS	SAS	PTB	DST	AX	LAT	PTZ
1 (stop)	54.80651	12.33107	0.61653	0.00000	-0.30827	0.00000	0.00000	0.00000	0.00073
	-54.02110	0.00000	0.00000	0.00000		0.00000	ASPHERIC CONTRIBUTIONS		
2	-12.63551	-6.14438	0.234736	0.89870	1.23069	0.14567	0.00000	0.00000	-0.00290
	11.89871	-5.35425	0.80311	0.26770		-0.04015	ASPHERIC CONTRIBUTIONS		
3	0.02200	-0.24405	-0.02011	-0.62165	-0.92242	2.29837	0.00000	0.00000	0.00218
	-0.07061	-0.58839	-1.63426	-0.54476		-1.51306	ASPHERIC CONTRIBUTIONS		
SUM	0.00000	0.00000	0.00000	0.00000	0.00000	-0.89083	0.00000	0.00000	0.00000



(a) Solution III



(b) Solution IV

FIG. 5. Optical layout of the Solution III and IV. In the Solution III, image plane is not shown because BFL of the system is too long.

$$BFL = -\frac{h_3}{u_3} = -14060.699 \text{ mm}$$

Solution IV

$$u_2 = -0.041499$$

$$h_3 = -36.197 \text{ mm}$$

$$BFL = -\frac{h_3}{u_3} = -1611.608 \text{ mm}$$

Among the two solutions, the Solution III is not a reasonable one because of too long BFL. Figure 5 shows inline optical layouts of the two solutions. Figure 6 is an example of practical optical layout of the Solution IV, a folding mirror is located at the exit pupil. Design data and the third order aberrations of the Solution IV are listed in Table 3. All of the third order aberrations except distortion are also well corrected. The uncorrected distortion has slightly larger value than the Solution II, the object conjugation type. Finite ray aberrations of the Solution IV are presented in Figure 7. The astigmatic field curves show very good balancing between sagittal

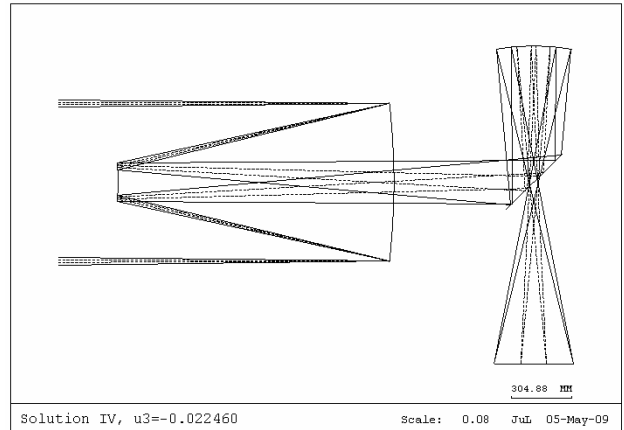


FIG. 6. Optical layout of the Solution IV with folding mirror.

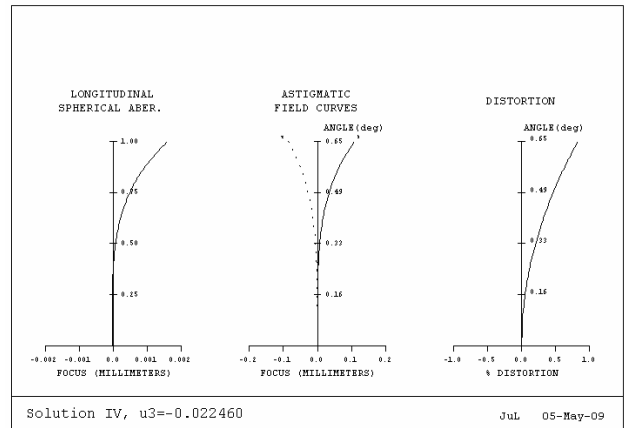


FIG. 7. Finite ray aberrations of the Solution IV.

field curvature S and tangential field curvature T. The residual S and T are just a half compared with those of the Solution II. Better imaging performance is expected in off-axial field.

IV. CONCLUSION

From the viewpoint of applications, physical configuration of an optical system is important in addition to aberration correction. We present an analytic design procedure for a three-mirror system which has a suitable configuration for specific application and is corrected for four kinds of third order aberrations, spherical aberration, coma, astigmatism, and Petzval field curvature.

In designing a three-mirror system, we have eight degrees of freedom. They are three curvature radii (r_1, r_2, r_3), three conic constants (k_1, k_2, k_3) and two axial separations between mirrors (d_1, d_2). Among the third order aberrations, spherical aberration, coma, astigmatism and distortion are linear functions of conic constants.

TABLE 3. Design data and third order aberrations of the Solution IV.

(a) Design data									
#	r(mm)	d(mm)	conic constant	remark					
1	-3500.000	-1400.000	-0.982078556	stop					
2	-855.283	2800.000	-1.930109940						
3	-1131.875	-1611.608	-0.607768548						

(b) Third order aberrations(evaluated by Code V)									
	SA	TCO	TAS	SAS	PTB	DST	AX	LAT	PTZ
1	26.58435	-7.91707	0.52395	0.00000	-0.26198	0.00000	0.00000	0.00000	0.00057
(stop)	-26.10792	0.00000	0.00000	0.00000		0.00000	ASPHERIC CONTRIBUTIONS		
2	-6.07511	4.03765	0.17756	0.77389		-0.17145	0.00000	0.00000	-0.00234
	5.62604	3.35098	0.66530	0.22177		0.04403	ASPHERIC CONTRIBUTIONS		
3	0.00467	0.12583	0.31994	-0.43341		-3.89231	0.00000	0.00000	0.00177
	-0.03203	0.40261	-1.68675	-0.56225		2.35553	ASPHERIC CONTRIBUTIONS		
SUM	0.00000	0.00000	0.00000	0.00000	0.00000	-1.66420	0.00000	0.00000	0.00000

Hence, we can correct three of them by using the conic constants. The system should have the specified focal length and if we correct one more third order aberration, Petzval field curvature, there are three remaining degrees of freedom. They could be used for selecting a suitable configuration for the system.

We take (h_2, d_1, d_2) as the basic design parameters to get a suitable configuration for real applications, where h_2 is the incident height of marginal ray on the secondary mirror and (d_1, d_2) are axial separations between mirrors. We assume that effective focal length and f-number of the system are specified in the requirements for design. The condition for correcting Petzval field curvature is expressed as a quadratic function of u_2 , paraxial angle of the secondary mirror after reflection. There can be two solutions. But, if one of the solutions has a suitable configuration, the other may have an improper configuration, too long BFL mostly.

Two design examples are presented. One has a compact configuration with off-axial field. In this design, a folding mirror selecting field is located in the intermediate image plane of the secondary mirror. The other has a relatively long configuration with annular ring field. In the latter case, a folding mirror is located at the exit pupil, where it acts as a glare stop. The third order aberrations of the two designs are well corrected except for distortion. But, the latter design has good balance between the residual aberrations. It shows better off-axial imaging performance compared with the former design.

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