

가 (bending wave) 가

FEM

2.

2.1

Fig.1

ABCD
A, B, G, H

가

AB CD

, CDEF(2) CD EF
, FEGH(3)

FE GH

, ABGH (4) AB

GH

(5)

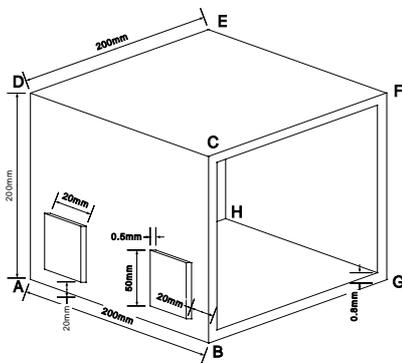


Fig.1 A typical open box

$i (i = 1, 2, 3, 4)$

$F(i\omega t)$ 가 $A(x_{ia}, y_{ia})$

$$W_i(x_i, y_i, t)$$

(6)

$$D_i \nabla^4 W_i - \rho_i \omega^2 W_i = F \delta(x_i - x_{ia}, y_i - y_{ia}) + T_{x0}(y_{ia}) \dot{\delta}(x_{ia}) + T_{xL}(y_{ia}) \dot{\delta}(x_{ia} - L_{ix}) + T_{y0}(y_{ia}) \dot{\delta}(x_{ia}) + T_{yL}(y_{ia}) \dot{\delta}(x_{ia} - L_{ix})$$

(1)

$$D_i = E_i h_i / 12(1 - \mu_i^2)$$

ρ_i :

$L_{ix}, L_{iy} : (x_i, y_i)$

$T_{x0}, T_{xL} : x_i = 0, L_{ix}$

$T_{y0}, T_{yL} : y_i = 0, L_{iy}$

E_i :

$h_i : i$

2.2

ABGH

$$W_i = 0, EI \frac{\partial^2 W_i}{\partial x^2} = 0 \quad (x = 0, x = a)$$

(2)

가

$$W_i(x, y) = D_i \sin \frac{n\pi y}{b} \sin \frac{m\pi x}{a}$$

(2a)

ABCD FEGH

$$W_i = 0, EI \frac{\partial^2 W_i}{\partial x^2} = 0 \quad (x = 0)$$

$$\frac{\partial}{\partial x} [EI \frac{\partial^2 W_i}{\partial x^2}] = -K_{ie} W_i, EI \frac{\partial^2 W_i}{\partial x^2} = 0, (x = a)$$

(3)

K_{ie}

가

CDEF

$$\frac{\partial}{\partial x} [EI \frac{\partial^2 W_i}{\partial x^2}] = -K_{ie} W_i, EI \frac{\partial^2 W_i}{\partial x^2} = 0$$

(4)

$(x = 0, x = a)$

CD FE

가

2.3

(trans- versely isotropic)

$$\begin{aligned} & \text{가} \\ & \text{가} \end{aligned} \quad \begin{aligned} & M(x, y, t) \\ & u(t) \\ & M(x, y, t) \end{aligned}$$

$$\begin{aligned} V(x, y, t) &= [H(x - x_1) - H(x - x_2)] \times \\ & [H(y - y_1) - H(y - y_2)] \cdot u(t) \\ M_x(x, y, t) &= M_y(x, y, t) \\ &= -\eta_p V(x, y, t) \end{aligned} \quad (5)$$

$$\eta_p = \frac{1}{2} d_{31} Y_1 h_1 (h_1 + h_2)$$

$$\begin{aligned} & V(x, y, t) \quad \text{가} \\ & M_x(x, y, t) \quad M_y(x, y, t) \\ & \eta_p \quad \text{가} \\ & h_1, h_2, d_{31}, \\ & Y_1, \quad H(x) \end{aligned}$$

$$\begin{aligned} & x \quad y \\ & D_3 \\ & S_1 = s_{11}^E T_1 + s_{12}^E T_2 \\ & S_2 = s_{12}^E T_1 + s_{11}^E T_2 \\ & D_3 = \\ & \frac{d_{31} h}{s_{11}^E + s_{12}^E} \left[\frac{\partial \omega^2(x, y, t)}{\partial x^2} + \frac{\partial \omega^2(x, y, t)}{\partial y^2} \right] \end{aligned} \quad (6)$$

$$\begin{aligned} & x = 0 \\ & x = a \\ & \text{가} \end{aligned} \quad \begin{aligned} & x = 0 \\ & \omega(x, y, t) \end{aligned} \quad (1)$$

$$\begin{aligned} & \rho_a h \ddot{\omega}(x, y, t) + \frac{Eh^3}{12(1-\mu)} \nabla^4 \omega(x, y, t) \\ & = \nabla^2 M(x, y, t) \quad 0 \leq x \leq a \end{aligned} \quad (7)$$

, ρ_a, h, E, μ

$$\omega(x, y, t) = \frac{\partial \omega(x, y, t)}{\partial x} = 0, \text{ for } x = 0 \quad (8)$$

$$\frac{\partial^2 \omega(x, y, t)}{\partial x^2} = \frac{\partial^3 \omega(x, y, t)}{\partial x^3} = 0, \text{ for } x = 1 \quad (9)$$

$$\begin{aligned} & \omega(x, y, t) \\ & \omega(x, y, t) = \sum_{i=1}^{\infty} \phi_i(x, y) q_i(t) \end{aligned} \quad (10)$$

$$\begin{aligned} & \phi_i(x, y) \quad i \\ & q_i(t) \end{aligned} \quad \text{(orthogonality)}$$

$$\begin{aligned} & \ddot{q}_i(t) + \omega_i^2 q_i(t) \\ & = \int_0^a \int_0^a \bar{\phi}_i(x, y) \nabla^2 M(x, y, t) dx dy \end{aligned} \quad (11)$$

$i = 1, 2, 3, \dots$

$$\begin{aligned} & \bar{\phi}_i(x, y) \quad i \quad \text{(rad/sec)} \\ & \rho_a h \int_0^a \int_0^a \bar{\phi}_i(x, y) \bar{\phi}_i(x, y) dx dy = 1 \end{aligned} \quad (12)$$

$$x_1 \leq x \leq x_2, \quad y_1 \leq y \leq y_2 \quad \text{가}$$

$$\ddot{q}_i(t) + \omega_i^2 q_i(t) = \eta_a \phi_i u(t), \quad (13)$$

$$V_s(t) = \eta_s \phi_i q_i(t), \quad (14)$$

$$\phi_i = \int_{y_1}^{y_2} \int_{x_1}^{x_2} \nabla^2 \bar{\phi}_i(x, y) dx dy, \quad i = 1, 2, 3, \dots$$

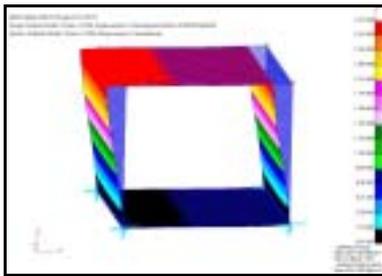
$$\begin{aligned} & \text{가} \\ & \text{Laplacian} \\ & \phi_i \quad i \quad \text{가} \end{aligned}$$

$$\begin{aligned} & \phi_i \quad i \\ & 2 \end{aligned}$$

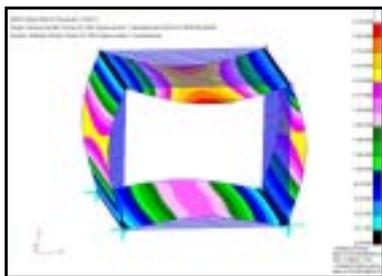
$$\lim_{\substack{\Delta x \rightarrow 0 \\ \Delta y \rightarrow 0}} \frac{1}{\Delta x \Delta y} \int_y^{y+\Delta y} \int_x^{x+\Delta x} \nabla^2 \bar{\phi}_i(x, y) dx dy$$

$$= \nabla^2 \bar{\phi}_i(x, y) \tag{15}$$

가 3 가 1:1
 Fig.2 1 2
 가 (spill-over)
 가



(a) first mode shape



(b) second mode shape



(c) third mode shape

Fig.2 Mode shape of open box with PZT and PVDF

3.
 (neuron) (bias) (weight)

Fig.3
 가
 가
 0

(momentum)

1
 5
 100Hz
 12

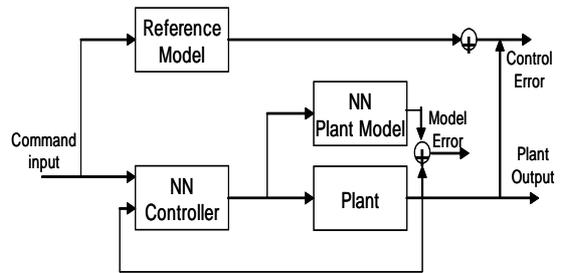


Fig.3 Reference Model Based Neural network controller block diagram

4.
 Fig.4
 Fig.1
 A, B, G, H

가
가

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