## GIPOF의 최적 굴절률 분포와 최대 전송거리에 대한 연구 Theoretical analysis of optimum refractive index profile and maximum transmission length of a GIPOF

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Polymer optical fibers (POFs) are being considered as important high-speed communication media in the area of local area networks, datalinks and optical sensors. Large core diameter (500°1500 µm) and large numerical aperture (0.2°0.9) in a POF allow easy processing and connectorization, low cost, high efficiency of beam coupling from LDs or LEDs, and complete immunity to EMI/EMR.

There are many reports about 2.5 Gbps transmission through the polymethylmethacrylate (PMWA) graded index (QI) POF over a distance of 100 m.<sup>1-3</sup> Therefore, in order to analyze the ultimate bandwidth characteristics of the GIPOF, we theoretically evaluated the optimum refractive index profile by considering not only the intermodal dispersion but also the intramodal dispersion and discussed the maximum transmission length (or maximum data rate) for a given index profile.

The core refractive index profile was described by  $n(r) = n_1 [1 - \left(\frac{r}{a}\right)^{\alpha} \triangle]$ , where r is a distance from the core center,  $n_1$  is the refractive index at the center axis, a is the radius of the core, a is the index exponent, and a is the relative index difference. From the WKB method the output pulse width from the GPOF was calculated as shown in following equations.

$$\sigma_{\textit{intermodal}} = \frac{LN_{1}\triangle}{2\,c}\,\frac{\alpha}{\alpha+1}\left(\frac{\alpha+2}{3\alpha+2}\right)^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac{4\,C_{1}C_{2}\triangle\left(\alpha+1\right)}{2\alpha+1} + \frac{4\,\triangle^{2}C_{2}^{\,2}\left(2\alpha+2\right)^{2}}{\left(5\alpha+2\right)\left(3\alpha+2\right)}\right]^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac{4\,C_{1}C_{2}\triangle\left(\alpha+2\right)^{2}}{2\alpha+1} + \frac{4\,\triangle^{2}C_{2}^{\,2}\left(2\alpha+2\right)^{2}}{\left(5\alpha+2\right)\left(3\alpha+2\right)}\right]^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac{4\,C_{1}C_{2}\triangle\left(\alpha+2\right)^{2}}{2\alpha+1} + \frac{4\,\triangle^{2}C_{2}^{\,2}\left(2\alpha+2\right)^{2}}{\left(5\alpha+2\right)\left(3\alpha+2\right)}\right]^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac{4\,C_{1}C_{2}\triangle\left(\alpha+2\right)^{2}}{2\alpha+1} + \frac{4\,\triangle^{2}C_{2}^{\,2}\left(2\alpha+2\right)^{2}}{\left(5\alpha+2\right)\left(3\alpha+2\right)^{2}}\right]^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac{4\,C_{1}C_{2}\triangle\left(\alpha+2\right)^{2}}{2\alpha+1} + \frac{4\,\triangle^{2}C_{2}^{\,2}\left(2\alpha+2\right)^{2}}{\left(5\alpha+2\right)\left(3\alpha+2\right)^{2}}\right]^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac{4\,C_{1}C_{2}^{\,2}}{2\alpha+1} + \frac{4\,C_{1}^{\,2}C_{2}^{\,2}\left(2\alpha+2\right)^{2}}{2\alpha+1}\right]^{1/2}\!\!\left[\,C_{1}^{\,2} + \frac$$

$$\sigma_{\mathit{intramodal}} = \frac{\sigma_s L}{\lambda c} \left[ \left( -\lambda^2 \frac{d^2 n_1}{d\lambda^2} \right)^2 - 2\lambda^2 \frac{d^2 n_1}{d\lambda^2} \left( N_1 \triangle C_1 \left( \frac{2\alpha}{2\alpha + 2} \right) + (N_1 \triangle)^2 \left( \frac{\alpha - 2 - y}{\alpha + 2} \right)^2 \left( \frac{2\alpha}{3\alpha + 2} \right) \right]^{1/2} \right]$$

where  $\sigma_{\!\!s}$  is the spectral width of the light source, L is the fiber length,  $C_1=\frac{\alpha-2-y}{\alpha+2}$ ,  $C_2=\frac{3\alpha-2-2y}{2(\alpha+2)}$ ,

$$y=rac{-2n_1}{N_1}rac{\lambda}{\triangle}rac{d\triangle}{d\lambda}$$
, and  $N_1=n_1-\lambdarac{dn_1}{d\lambda}$ . We assumed the core and cladding materials followed a three terms

Sellmeier equation from Ref. (5) and the spectral width of the light source was 2 nm. Then the total root mean square pulse width can be calculated as  $\sigma_{total} = (\sigma_{intermodal}^2 + \sigma_{intramodal}^2)^{1/2}$ .

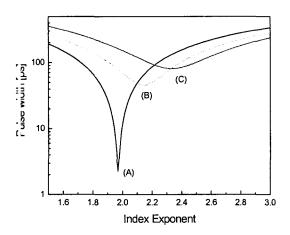
Figure 1 shows the calculated pulse width versus index exponent for PMMA-based GIPOF at 100 m in fiber length. Parameters y and  $\sigma_{intramodal}$  were zero and N<sub>1</sub> equaled n<sub>1</sub> for the pulse width calculated only by intermodal dispersion (curve (A) in Fig. 1). In this case, pulse width was minimized at index exponent of 1.97.

However, when the intramodal dispersion was considered together with intermodal dispersion the index exponent showing minimum pulse width was shifted from 1.97 to 2.33 and 2.14 at 650 nm and 780 nm, respectively. Also the total pulse width increased several tens times larger compared with pulse width calculated only by intermodal discursion.

Figure 2 shows maximum fiber length versus data rate for attenuation- and dispersion-limited transmission. The attenuation-limited transmission was calculated as  $L_{\max} = \frac{P_T(dBm) - P_R(dBm)}{\alpha_{fiber}}$ , where  $P_T$  and

 $P_R$  are the power of the tranmitter and power that the receiver requires to maintain the given BER. We assumed  $P_T$  was 0 dBrn and  $P_R$  was  $-80+15log(data\ rate)$ . Note that the maximum link length is attenuation limited for data rate below about 1 Cbps, and dispersion limited for above about 1 Cbps.

In summary, the optimum refractive index profile of the GPOF and maximum transmission length were analyzed with both intermodal and intramodal dispersion considered. We showed that the data rate performance of the GPOF was seriously affected by the intramodal dispersion. For a higher data rate more than 1 Gbps in a GPOF link, attenuation of a fiber as well as dispersion should be considered at system design.



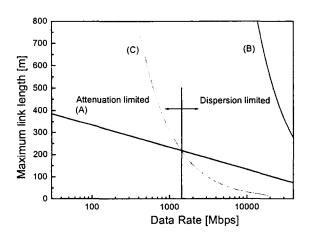


Fig. 1. Total pulse width  $(\sigma_{total})$  versus index exponent of PMMA-GIPOF assuming equal power distribution of all modes. (A) only intermodal dispersion was considered, (B) bota intermodal and intramodal dispersion were considered at 780 nm, (C) same as (B) at 650 nm.

Fig. 2. Transmission distance versus data rate for attenuation limited situation, (A), only intermodal dispersion limited situation at index exponent of 1.97, (B), and both intermodal and intramodal dispersion limited situation at index exponent of 2.33, (C).

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